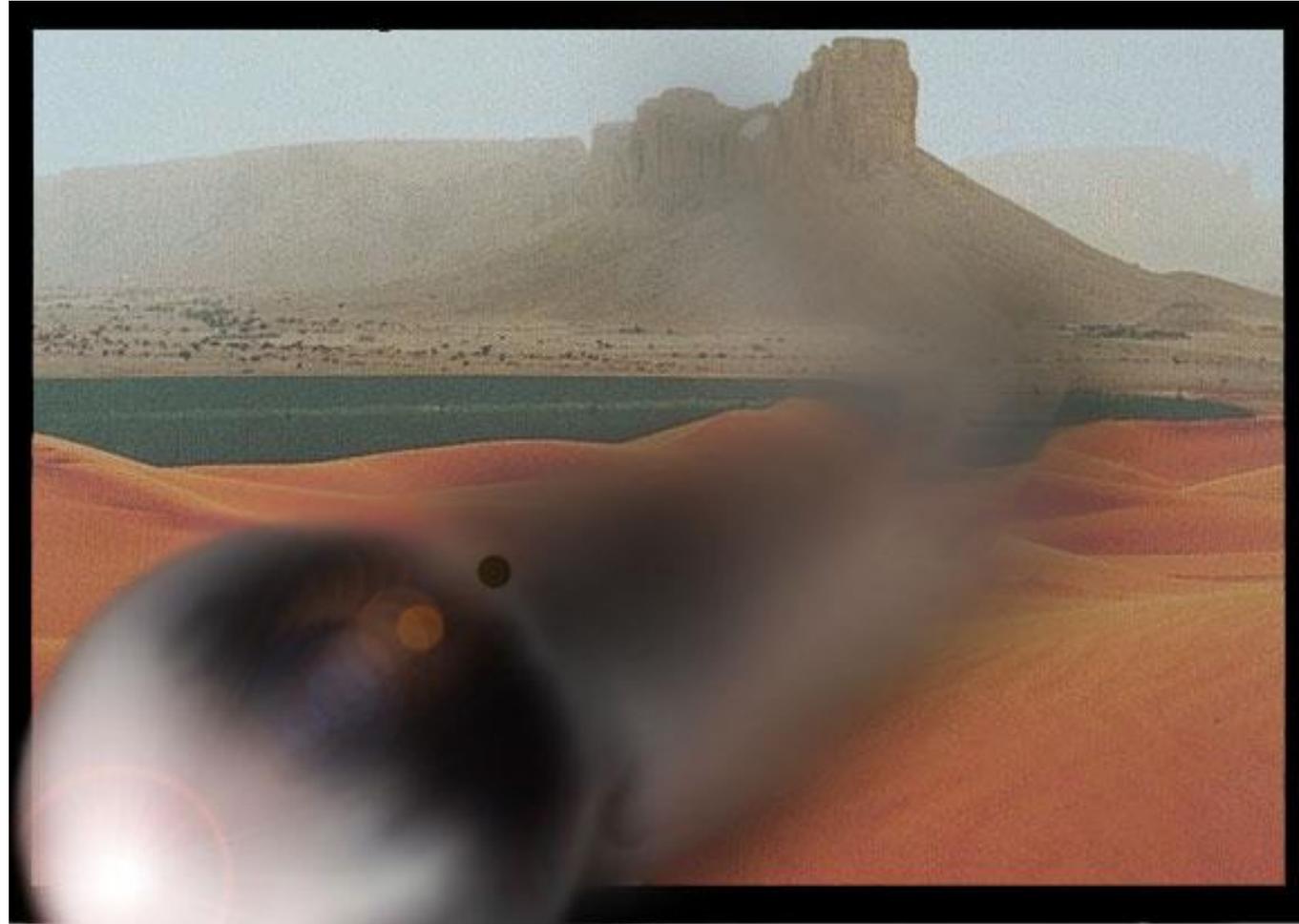


MOTION NOTES



Ball in Motion

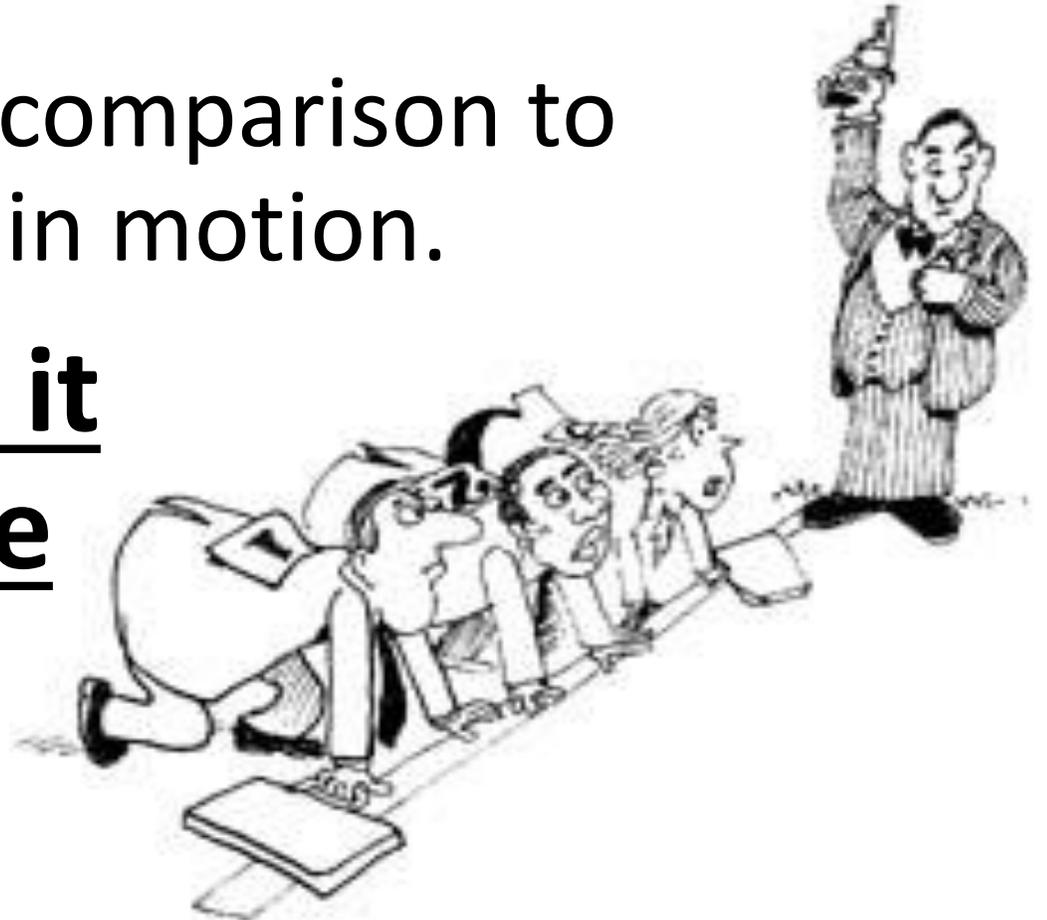
Recognizing Motion

How can you tell if an object is moving?

- **Reference Point:**

- a place or object used for comparison to determine if something is in motion.

An object is in motion if it changes position relative to a reference point.



Recognizing Motion

- Your *PERCEPTION* of “motion” depends on your **REFERENCE POINT**.
 - Ex) Imagine you are sitting in a seat on the train pictured here...
 - From the perspective of someone standing outside on the platform, are you moving?
 - What about from the perspective of another passenger seated next to you?
 - These questions could have different answers!



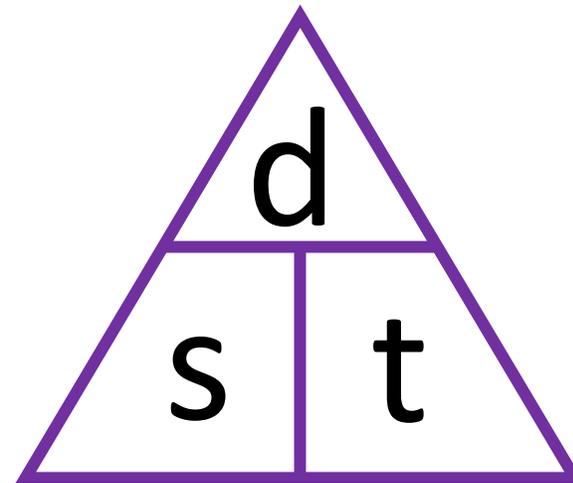
Speed

The distance an object travels in a certain time



- $\text{speed} = \frac{\text{distance}}{\text{time}} = \frac{d}{t}$

units = (m/s) *or* (km/hr)



- Cover the variable you're solving for. The two remaining variables show you whether to multiply or divide!

Practice Problems: Speed

1) At what speed is a plane flying if it travels 1760 meters in 8 seconds?

$$s = d/t$$

$$s = 1760 \text{ m} / 8 \text{ s}$$

$$s = 220 \text{ m/s}$$



More Examples:

2) A car travels 240 kilometers in 3 hours. What is the speed of the car during that time?

$$s = d/t = (240\text{km})/(3\text{hr}) = 80 \text{ km/hr}$$

3) The speed of a cruise ship is 50 km/hr. How far will the ship travel in 14 hours?

$$d = st = (50 \text{ km/hr})(14 \text{ hr}) = 700 \text{ km}$$

4) A cyclist travels 32 km during the first 2 hours of riding, and 13 km during the next hour. What is the average speed of the cyclist?

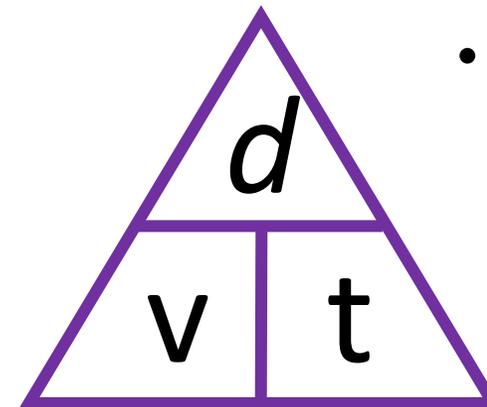
$$s = d/t = (32\text{km} + 13 \text{ km})/(2 \text{ hr} + 1 \text{ hr}) = 15 \text{ km/hr}$$

Velocity

- speed in a given **direction**.

$$\text{velocity} = \frac{\text{displacement}}{\text{time}} = \frac{d}{t}$$

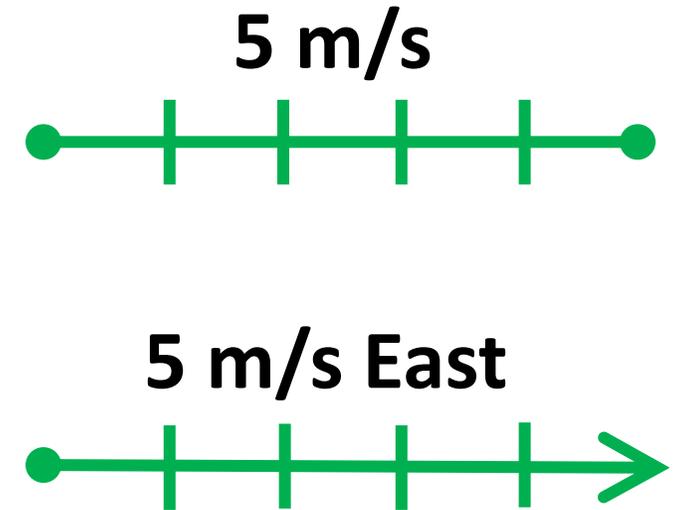
- *“Displacement” is the distance between the starting point and ending point (different from “distance”)*
- *Note that the velocity equation is VERY similar to the speed equation*



- **NOTE:** *calculated just like speed (same units too)!*

Scalars and Vectors

- Scalar quantities have a ***magnitude*** (number, size) without a specified direction.
- Vector quantities have both ***magnitude AND direction***.
- Speed is a scalar, velocity is a vector.
 - ***IMPORTANT***: sometimes in physics, we designate direction as “+” (forward, up) or “-” (backward, down)



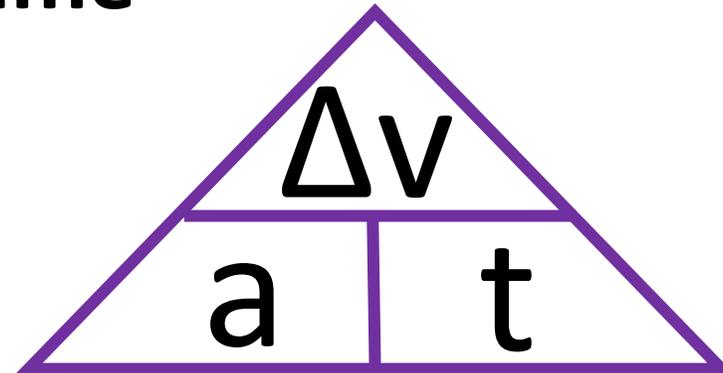
Acceleration



- A change in velocity over a certain amount of time.
 - increasing speed, decreasing speed, or changing direction

• acceleration = final velocity - initial velocity
time

• $a = \frac{\Delta v}{t}$ Δ = change in...
Units: m/s^2



Practice Problems: Acceleration

5) A car is traveling at 6 m/s. It accelerates to 16 m/s in 5 seconds. What is the acceleration of the car?

$$a = \Delta v / t = (16 \text{ m/s} - 6 \text{ m/s}) / 5 \text{ s} = 2 \text{ m/s}^2$$

6) A roller coaster is moving at 25 m/s at the bottom of a hill. Three seconds later it reaches the top of the next hill, moving at 10 m/s. What is the acceleration of the roller coaster?

$$a = \Delta v / t = (10 \text{ m/s} - 25 \text{ m/s}) / 3 \text{ s} = -5 \text{ m/s}^2$$

IMPORTANT: The negative sign indicates the object is slowing down!

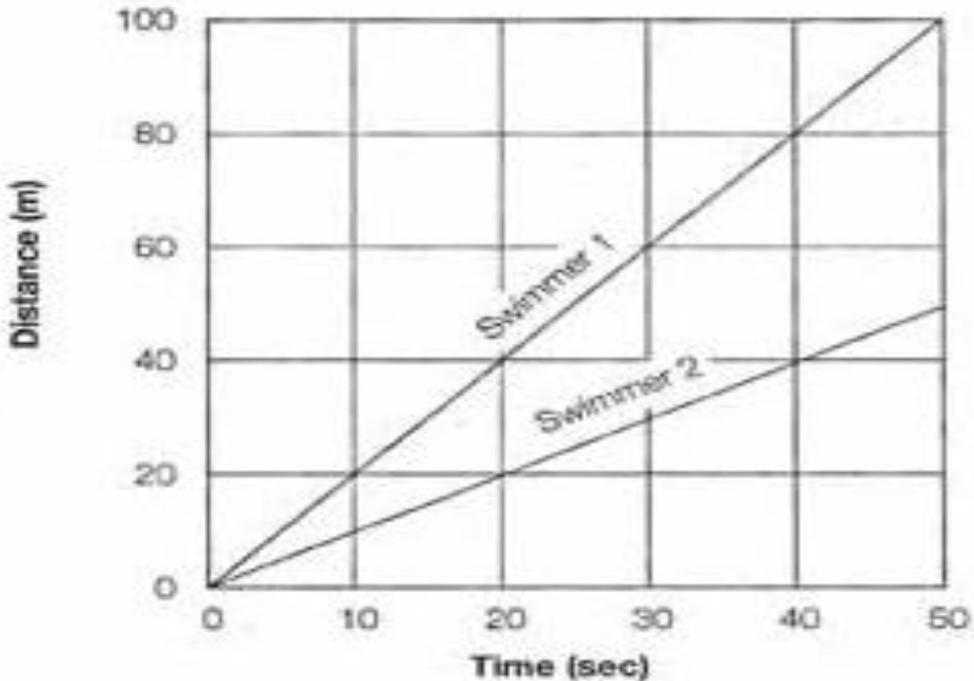
Graphing Motion

- **distance vs. time graph**

- displacement on the y-axis
- time on the x-axis

- ***The slope tells you the speed.***

- SLOPE = “steepness” of the line
- slope = $\frac{\text{rise}}{\text{run}} = \frac{y_2 - y_1}{x_2 - x_1}$



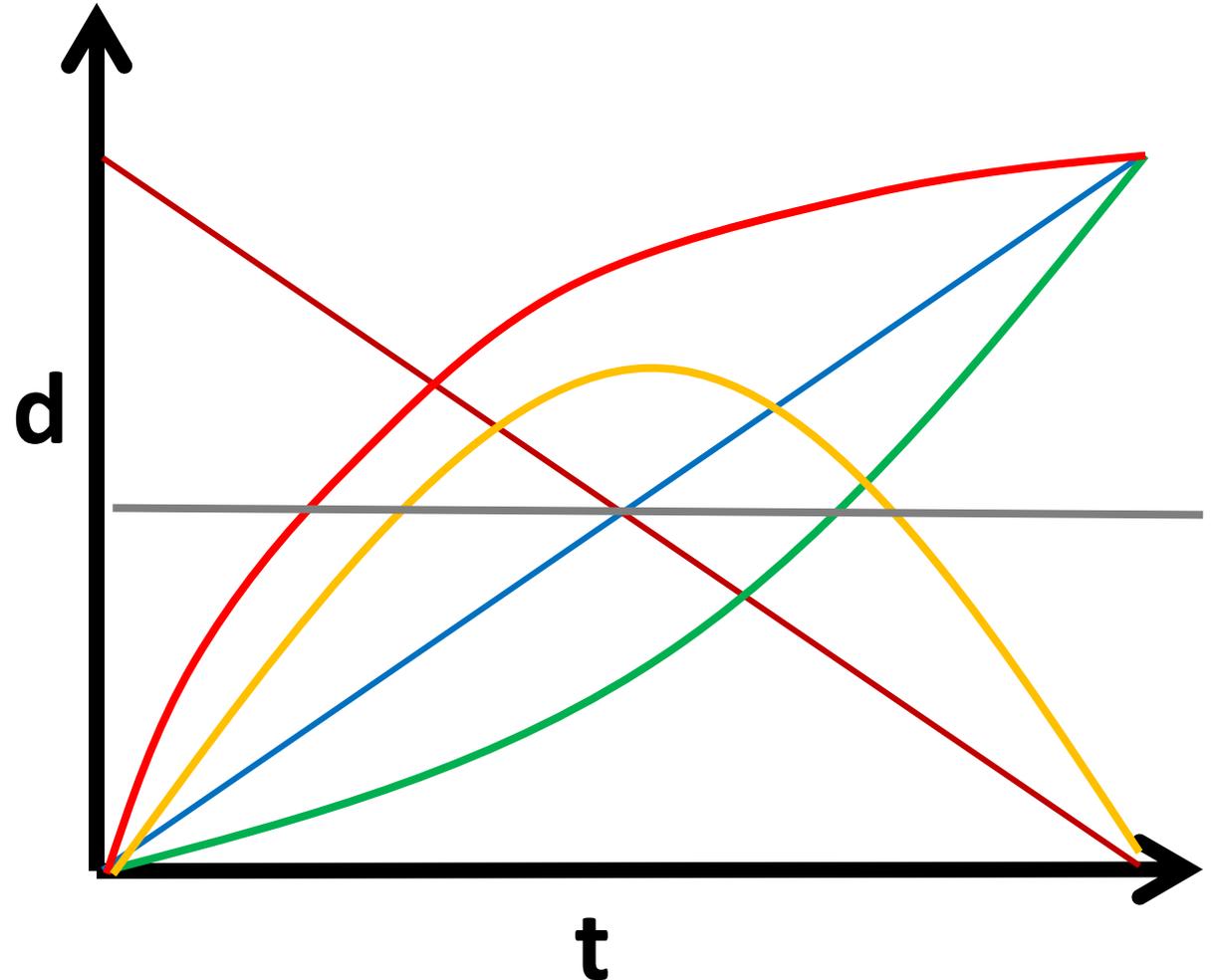
- In this graph, you can tell that swimmer 1 is faster because the motion of swimmer 1 produces a steeper slope (***steeper slope = faster***)
- You can calculate swimmer 1's speed by calculating the slope:

$$\text{slope} = (y_2 - y_1) / (x_2 - x_1) = (100 - 0\text{m}) / (50 - 0\text{s}) = 2 \text{ m/s}$$

Graphing Motion

- 7) Constant Forward Motion
- 8) Constant Backward Motion
- 9) Speeding Up
- 10) Slowing Down
- 11) Changing Direction
- 12) No Motion

Displacement vs Time



Practice Problems: Motion

- 13) Plane A is flying East at 880 km/hr and plane B is traveling North at 880 km/hr. Do they have the same speed? The same velocity? Explain.

Plane A and B have the same speed (880 km/hr) but different velocities because they're travelling in different directions.

- 14) A swimmer speeds up from 1.1 m/s to 1.3 m/s during the last 20 seconds of her workout. What is her acceleration during this interval?

$$a = \Delta v / t = (1.3 - 1.1 \text{ m/s}) / 20 \text{ s} = 0.01 \text{ m/s}^2$$

- 15) Which is going faster, a boy who runs 40 m in 8 s or a girl who runs 55 m in 10 s?

$$\text{Boy: } s = d/t = 40\text{m}/8\text{s} = 5 \text{ m/s}$$

$$\text{Girl: } s = d/t = 55\text{m}/10\text{s} = 5.5 \text{ m/s}$$